- 2.3 Use a Problem Solving Strategy
 - 2.3 Exercise Set, page 243 (225): 1, 6, 11, 15, 16, 19, 23, 25, 27, 32, 37
- 2.4 Solve a Formula for a Specific Variable
 - 2.4 Exercise Set, page 263 (245): 1, 3, 4, 6, 21, 24, 30, 32
- 3. Equations and their Graphs
- 3.1 Use the Rectangular Coordinate System
 - 3.1 Exercise Set, page 312 (294): 1, 5, 7, 11, 15, 19, 25
- 3.2 Graph Linear Equations in Two Variables
 - 3.2 Exercise Set, page 346 (328): 1, 3, 21, 25, 27, 33
- 3.3 Graphs with Intercepts-optional
 - 3.3 Exercise Set, page 373 (355): 10,16

After class notes

2.1

In the following exercises, solve each equation using the Subtraction and Addition Properties of Equality.

9.
$$x - \frac{1}{3} = 2$$
 $x - \frac{1}{3} = 2$
 $x + (-\frac{1}{3} + \frac{1}{3}) = 2(\frac{3}{3}) + \frac{1}{3}$
 $x + (-\frac{1}{3} + \frac{1}{3}) = 2(\frac{3}{3}) + \frac{1}{3}$
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 $x + (-\frac{1}{3} + \frac{1}{3}) = 2(\frac{3}{3}) + \frac{1}{3}$

Check

Check

Then $x + (-\frac{1}{3} + \frac{1}{3}) = 2(\frac{3}{3}) + \frac{1}{3}$
 $x + (-\frac{1}{3} + \frac{1}{3}) = 2(\frac{3}{3}) + \frac{1}{3}$
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 $x + (-\frac{1}{3} + \frac{1}{3}) = 2(\frac{3}{3} + \frac{1}{3}) = 2(\frac{3$

6.
$$p + 2.4 = -9.3$$

$$p + 2.4 - 2.4 = -9.3 - 2.4$$

$$p = -11.7$$

2.1:

In the following exercises, solve each equation using the Division and Multiplication Properties of Equality and check the solution.

18.
$$-37p = -541$$

$$p = \frac{-541}{-37} = 541 \approx 14.6 \text{ (rounded to the real tenth)}$$

change
$$541$$
 to a nixed number $\frac{14}{37} = \frac{541}{37}$
 $\frac{14}{37} = \frac{34}{37}$
 $\frac{34}{171}$
 $\frac{148}{23}$

Textbook answer

18.
$$p=rac{541}{37}$$
 Impropri fraction

2.1

In the following exercises, solve the following equations with constants on both sides.

46.
$$11 - \frac{1}{5}a = \frac{4}{5}a + 4$$
 god! $a = 10 \text{ me}$ num ber
$$11 - 4 - \frac{1}{5}a = \frac{4}{5}a + 4 - 4$$

$$2 - \frac{a}{5} = \frac{4a}{5} + 4 - 4$$

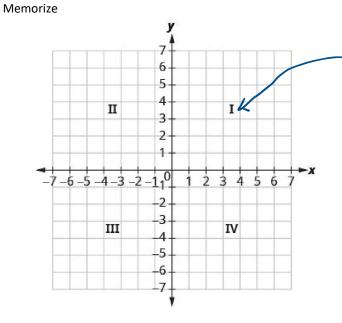
2.2

In the following exercises, solve each linear equation.

In the following exercises, solve each linear equation.

10.
$$\frac{1}{4}(20d + 12) = d + 7$$
 $(\frac{1}{4})(20d + 12) = d + 7$
 $($

3.1



Quadrant I = Q I

Memorize

Ordered pair

An ordered pair, (x, y), gives the coordinates of a point in a rectangular coordinate system.

٧,,

x-coordinate

y-coordinate

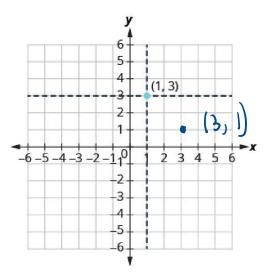
The first number is the x-coordinate.

The second number is the y-coordinate.

Memorize

The origin

The point (0,0) is called the origin. It is the point where the *x*-axis and *y*-axis intersect.



Memorize

Quadrants

We can summarize sign patterns of the quadrants in this way.

Quadrant I Quadrant III Quadrant IV

 $(x,y) \\ (+,+)$

(x,y) (,+)

(x,y)

(x,y) (+,)

what 2 hadvant

1, (4,0) in?

4>0 J

0>0 No

1, (4,0) is not

1, any quodvant

Memorize

Linear equation

An equation of the form Ax+By=C, where A and B are not both zero, is called a linear equation **in** two variables.

A, B, C are constant, and y are variable,

Memorize

Standard Form of Linear Equation

A linear equation is in standard form when it is written Ax + By = C.

Memorize

Solution of a Linear Equation in Two Variables

An ordered pair (x, y) is a **solution** of the linear equation Ax + By = C, if the equation is a true statement when the x- and y-values of the ordered pair are substituted into the equation.

EXAMPLE 4

Determine which ordered pairs are solutions to the equation x+4y=8. A (left(0,2\right)\) B (2,-4) C (-4,3)

Solution

Substitute the x- and y-values from each ordered pair into the equation and determine if the result is a true statement.

(a) (b) (c) (c)
$$(0,2)$$
 $(2,-4)$ $(-4,3)$ $x = 0, y = 2$ $x = 2, y = -4$ $x = -4, y = 3$ $x + 4y = 8$ $x + 4y = 8$ $x + 4y = 8$ $0 + 4 \cdot 2 \stackrel{?}{=} 8$ $2 + 4(-4) \stackrel{?}{=} 8$ $-4 + 4 \cdot 3 \stackrel{?}{=} 8$ $0 + 8 \stackrel{?}{=} 8$ $2 + (-16) \stackrel{?}{=} 8$ $-4 + 12 \stackrel{?}{=} 8$ $8 = 8 \checkmark$ (0, 2) is a solution. (2, -4) is not a solution. (-4, 3) is a solution.

3.2 Memorize

Graph of a linear equation

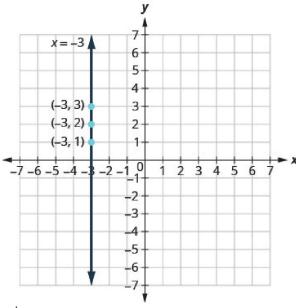
The graph of a linear equation Ax + By = C is a line.

- Every point on the line is a solution of the equation.
- Every solution of this equation is a point on this line.

Memorize

Vertical line

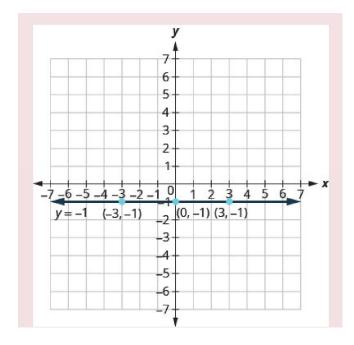
A vertical line is the graph of an equation of the form x=a. The line passes through the x-axis at (a,0).



Memorize

Horizontal line

A horizontal line is the graph of an equation of the form y=b. The line passes through the *y*-axis at (0,b).



Memorize

Intercepts of a line

The points where a line crosses the x- axis and the y- axis are called the intercepts of a line.

Memorize

x– intercept and *v*– intercept of a line

The *x*– intercept is the point (a, 0) where the line crosses the *x*– axis.

The y- intercept is the point (0, b) where the line crosses the y- axis.

Memorize

Find the x- and y- intercepts from the equation of a line

Use the equation of the line. To find:

- the *x* intercept of the line, let y = 0 and solve for x.
- the *y* intercept of the line, let x = 0 and solve for *y*.

2x + y = 4Find x - intercept 2x + 0 = 4solve for x 2x = 4 2x = 4the point (2,0)

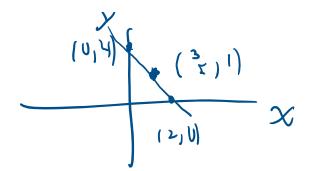
HOW TO: Graph a linear equation using the intercepts

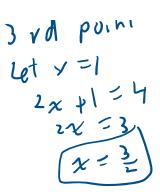
The steps to graph a linear equation using the intercepts are summarized below.

- 1. Find the *x* and *y* intercepts of the line.
 - \circ Let y = 0 and solve for x
 - Let x = 0 and solve for y.
- 2. Find a third solution to the equation.
- 3. Plot the three points and check that they line up.
- 4. Draw the line.

2x + y = 4 x - intercept 2x + 0 = 4 2x = 4 (2x) (2y)

y-intercept 2(0) + y = 4 y = 4) or (0,4) 3 vd point





Your Name MTH 111 quiz 3 Write each problem. Calculator OK. Box around each answer.

The width of the rectangle is 0.7 metres less than the length. The perimeter of a rectangle is

1. 52.6 metres. Find the dimensions of the rectangle.

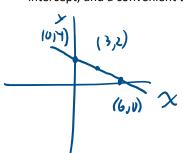
The dimensions of the rectangle are 13.5 meters by 12.8 meters.

2. Graph the line given by 2x + 3y = 12 by finding and plotting the x-intercept, the yintercept, and a convenient third point.

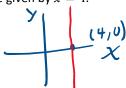
ソー

2-intercept /y.intecept

2. Graph the line given by 2x + 3y = 12 by finding and plotting the x-intercept, the y-intercept, and a convenient third point.



- - Let x = 3 (2)(3) + 3y = 12 3y = 6y = 2
- 3. Plot the line given by x = 4.



4. Solve P = 2L + 2W for L.

1. Simplify and write your answer in scientific notation, rounded to a single digit. (32)(0.67)

$$\frac{0.003}{2} \times (3 \times 10^{1})(7 \times 10^{-1}) = 7 \times 10^{1-1} = 7 \times 10^{0} = 10^$$

6. Explain <u>one</u> relation discussed in this class between algebra and geometry. Answer in one or two sentences.

The graph (geometry) of a linear equation (algebra) is a straight line.

Does your answer show understanding of what algebra is and what geometry is?